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## Vandana Tutorial

Mapping your future...

## CLASS IX

## SAMPLE PAPER

## MATHS

(Circles, area of ||gm and construction)
(Section A - one mark each)

1. Any angle in the semicircle is
(a) $90^{\circ}$ (b) 1 right angle (c)
(c) $270^{\circ}$
(d) both a and b
2. Find angle $\angle \mathrm{PCD}$

$$
A .140^{\circ} \text { (b) } 110^{\circ} \text { (c) } 70^{\circ} \text { (d) } 60^{\circ}
$$


3. A circle has in finite number of chords. True or false.
4. An arc is a ---------------------- when its ends are ends of diameter.
5. Parallelograms on the same base and $b / w$ the same parallels are equal in area. True or false.
(Section B - two marks each)
6. $D$ and $E$ are the points on the side $A B$ and $A C$ respectively of triangle $A B C$ such that $\operatorname{ar}(D B C)=\operatorname{ar}(E B C)$. Prove that DE\|BC.
7. $P$ and $Q$ are any two points lying on the sides $D C$ and $A D$ respectively of a parallelogram ABCD. Show that ar $(\mathrm{APB})=\operatorname{ar}(\mathrm{BQC})$.
8. Construct a triangle with base of length 8 cm , difference of two sides 3.5 cm and one of the angles of the base as $45^{0}$.
9. In the figure, $l$ is a line which intersects two concentric circles with centre P at points
$\mathrm{A}, \mathrm{C}, \mathrm{D}$ and B, Prove that $\mathrm{AC}=\mathrm{DB}$
10. XY is a line parallel to side BC of triangle ABC . If $\mathrm{BE} \| \mathrm{AC}$ and $\mathrm{CF} \| \mathrm{AB}$ and meet XY at E and F respectively, show that $\operatorname{ar}(\mathrm{ABE})=\operatorname{ar}(\mathrm{ACF})$

(section B- three marks each)

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11. If circles are drawn taking two sides of triangle as diameters prove that the point of intersection of these circles lie on the third sides.
12. Construct a triangle ABC , in which $\angle \mathrm{A}=30^{\circ}, \angle \mathrm{B}=90^{\circ}$ and $\mathrm{AB}+\mathrm{BC}+\mathrm{AC}=13 \mathrm{~cm}$
13. Prove that angle subtended by an arc of a circle at the center is double the angle subtended by it any point on the remaining part of the circle.
14. Prove that the cyclic \|gm is a rectangle.
